

## ***Tamarixaphylla* Biomass as an Efficient Adsorbent for Removal of Pb(II) Ions from Aqueous Solution: Kinetic and Applicability for Different Isotherm Models**

**Magdy D. Madbouly<sup>1</sup> and A. Al-Anwar<sup>2</sup>**

<sup>1</sup> National Centre for Social and Criminal Research, Cairo, Egypt.

<sup>2</sup> Assuit Laboratory, Medico-legal Department, Ministry of Justice, Assuit, Egypt.

**T**AMARIXAPHYLLA biomass (TAB) is a low cost adsorbent that has been used for the removal of Pb(II) ions from an aqueous solution. It was characterized by Fourier Transform Infrared Spectroscopy (FT-IR) and Scanning Electron Microscopy (SEM) to support the adsorption of Pb(II) ions. The ability of TAB to adsorb Pb(II) ions was investigated by using batch adsorption procedure. The effects of various parameters such as solution pH, adsorbent concentration, contact time and initial Pb(II) ions concentration were examined. The adsorbent data were analyzed using two, three, four and five parameter models at 30°C by using nonlinear regression analysis. Various kinetic models including the Pseudo-first-order, Pseudo-second-order, Elovich, Intra-particle diffusion and Bangham models have been applied to the experimental data to predict the adsorption mechanism. It was found that pseudo-second-order rate was better obeyed than pseudo-first-order reaction supporting that chemisorption process was involved. The examination of error analysis methods showed that the Langmuir model provide the best fit for experimental data than other isotherms. The obtained results show that TAB can be used as an effective and a natural low-cost adsorbent for the removal of Pb(II) ions from aqueous solutions.

**Keywords:** Tamarixaphylla, Pb (II) ions, adsorption, aqueous solution, Isotherm models, adsorption kinetics.

### **Introduction**

Heavy metal pollution is one of the world's most important environmental issues since heavy metals show high toxicity due to their solubility in water and easily accumulation in living organisms. Heavy metal contamination in wastewater is generated from various industrial processes such as mining, iron and steel, painting, and battery manufacturing [1].

Lead is a soft, malleable, ductile and dense metal. Due to its corrosion resistant characteristics, Pb has been historically used in plumbing. The other major use of Pb is in lead-acid batteries manufacturing and formation of lead alloys. However, as, lead is toxic in nature. The high exposure to Pb can increase the risk of kidney failure, disruption of central nervous system, brain damage and even death [2]. There are different methods to treat the wastewater; the treatment methods are based on the level of the

waste and the cost of treatment [3]. Conventional methods for the removal of the heavy metal ions from wastewater include chemical precipitation, electro flotation, ion exchange, reverse osmosis and adsorption onto activated carbon. These methods have been found to be limited, since they often involve high capital and operational costs, incomplete removal [4] and may be associated with the generation of secondary waste which is again to be treated or to be safely disposed off [5].

Adsorption provides one of the most effective methods for removing heavy metal ions from aqueous solutions [6]. Activated carbon is the most widely used adsorbent for this purpose because of its extended surface area, microporous structure, high adsorption capacity and high degree of surface reactivity. However, commercially activated carbons are very expensive [7]. This led to search for cheaper adsorbent for heavy metal removal. The agricultural wastes [8] were considered as low-cost since they 1) require little processing and

\*Corresponding author e-mail: magdydiab@su.edu.sa  
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2) are abundant in nature. Commonly, it concerns vegetal materials, and then the term of biosorption is used to designate the fixation of contaminants onto biomaterials. Recently, numerous low-cost alternative adsorbents have been examined for the removal of Pb(II) ions from wastewater [9-14]. The abundant and availability of TAB residues makes them a good candidate for incorporation as bio-adsorbent of heavy metals from wastewater.

The aim of the present work is to explore the possibility of utilizing TAB for the adsorption of Pb (II) ions from aqueous solutions. The effect of such factors as pH, adsorbent dose, adsorbate concentration, contact time and initial concentration was investigated. Experimental equilibrium data were fitted to the Freundlich, Langmuir, Dubinin–Radushkevich, Halsey and Temkin (two parameter models), Redlich–Peterson, Sips, Khan, Hill, Radke-Prausnitz, Langmuir-Freundlich and Toth (three parameter models), Fritz–Schlunder and Baudu (four parameter models) and Fritz–Schlunder (five parameter model) at 30 °C by using non-linear regression analysis. Error analysis was carried out to test the adequacy and the accuracy of the isotherm models. The kinetics of Pb(II) ions adsorption on the adsorbent was analyzed by fitting various kinetic models.

## Experimental

### Materials

#### Bioadsorbent

Tamarixaphylla plant is widely spread in West Desert in Egypt and was obtained from Matrouh Desert (Egypt). The roots were separated from the stems and leaves, washed with distilled water several times until the filtrate was colourless to remove the surface adhered particles and water soluble particles. The roots were dried in an electric oven at 105 °C for 3 h, then finally ground using a mixer, and sieved to pass through a 50 - 150 µm. The roots were chosen because the previous studies indicated that the cellulose content in roots is usually higher than in leaves and stems [8].

#### Reagents

Lead acetate, EDTA, sodium hydroxide and nitric acid were all used as laboratory grade chemicals (Merck, Darmstadt, Germany).

#### Characterization of adsorbent

The Fourier Transform Infrared Spectrometer

(FT-IR) analysis was used to identify the different functional groups present in TAB and Pb (II) ions loaded TAB. The IR spectra were recorded on a Perkin-Elmer Spectrum 1000 spectrophotometer over 4000-400 cm<sup>-1</sup> using KBr disk technique.

Scanning Electron Microscope (SEM), JEOL JSM 840, was used to obtain the surface morphology of TAB residues before and after Pb adsorption.

### Methods

#### Adsorption studies

A known volume (100 mL) of a Pb(II) ions solution with a concentration in the range 100–1000 mg L<sup>-1</sup> was placed in a 125 ml Erlenmeyer flask. An accurately weighed sample of TAB adsorbent (0.05 g) with a particle size in the range 50–150 µm was then added to the solution. A series of such flasks were prepared, the pH values of the contents adjusted by the addition of 0.1 M HNO<sub>3</sub> or 0.1 M NaOH and then shaken at a constant speed of 150 rpm in a shaking water bath at 30°C for two hours. At the end of the agitation time, the metal ion solutions were separated by filtration. Blank experiments were carried out simultaneously without the addition of the TAB adsorbent. The extent of metal ion adsorption onto adsorbent was calculated mathematically by measuring the metal ion concentration before and after the adsorption through direct titration against the standard EDTA solution. The amount of Pb(II) ions adsorbed on TAB at equilibrium,  $q_e$  (mg/g) and percent removal of lead were calculated according to the following relationships:

$$q_e = \frac{(C_o - C_e)V(l)}{W} \quad (1)$$

$$\text{Percent Removal} = \frac{C_o - C_e}{C_o} \times 100\% \quad (2)$$

where  $C_o$  and  $C_e$  are the initial and final concentrations of Pb (II) ions, mgL<sup>-1</sup>,  $V(l)$  is the volume of adsorbate,  $W$  is the weight of TAB adsorbent (g). All experiments were carried out in duplicate and the mean values of  $q_e$  were reported.

#### Error Analysis

In the single-component isotherm studies, the optimization procedure requires an error function to be defined to evaluate the fit of the isotherm to the experimental equilibrium data. The common error functions for determining the optimum

isotherm parameters were, sum of absolute errors (EABS), Marquardt's percent standard deviation (MPSD), average percentage error (APE) and average relative error (ARE)[15]. In the present study, all error functions were used to determine the best fit in isotherm model as:

*The Sum of Absolute Error (EABS)*

$$EABS = \sum_{i=1}^n |(q_e)_{\text{exp.}} - (q_e)_{\text{calc.}}| \quad (3)$$

*Marquardt's Percent Standard Deviation MPSD*

$$MPSD = \left( 100 \sqrt{\frac{1}{n-p} \sum_{i=1}^n \left[ \frac{((q_e)_{\text{exp.}} - (q_e)_{\text{calc.}})}{(q_e)_{\text{exp.}}} \right]^2} \right) \quad (4)$$

*Average Percentage Error (APE)*

$$APE\% = \frac{\sum_{i=1}^N |[(q_e)_{\text{exp.}} - (q_e)_{\text{calc.}}] / q_{\text{exp.}}|}{N} \times 100 \quad (5)$$

$$ARE = \sum_{i=1}^n \left| \frac{(q_e)_{\text{exp.}} - (q_e)_{\text{calc.}}}{(q_e)_{\text{exp.}}} \right| \quad (6)$$

## Results and Discussion

### Characterization of adsorbent

#### FTIR Studies

The FT-IR spectra for native and Pb loaded TAB were recorded (Fig. 1 above and down) to identify the different functional groups of TAB responsible for lead removal. The broad band positioned around 3389  $\text{cm}^{-1}$  was assigned the stretching vibration of hydroxyl groups. The high content of water in the TAB and numerous hydroxyl groups in the polysaccharide structure of the plant cell walls explained the presence of this band. The appearance of a band at 1737  $\text{cm}^{-1}$  in the Pb loaded TAB can be assigned to the carboxylate ion ( $-\text{COO}^-$ ). At pH greater than 4.0, the carboxylic acid group is converted to the carboxylate ion and Pb (II) ions are adsorbed. The involvement of carboxylic acid groups in the adsorption process explains the effect of pH on the adsorption process. At pH 2.0, majority of the carboxylate ions are converted to carboxylic acid groups ( $-\text{COOH}$ ) and hence the adsorption efficiency decreases. However, the broadening of the peak (Fig. 1 above) decreases (Fig. 1 down) indicating that the hydrogen bonding of the hydroxyl groups decreases after Pb loading. All these observations indicate the involvement of functional groups like carboxylic acid in the biosorption process.

The adsorption bands at 3389, 2931, 1736, 1631, 1460, 1371, 1238, 1038 and 605  $\text{cm}^{-1}$  (Fig. 1a) had shifted, respectively, to 3420, 2923, 1737, 1631, 1462, 1367, 1241, 1038 and 573  $\text{cm}^{-1}$  due to Pb (II) ions absorption (Fig. 1b). These shifts might be attributed to ion exchange associated with carboxylate and hydroxylate anions, suggesting that acidic, carboxyl and hydroxyl groups, were predominant contributors in metal

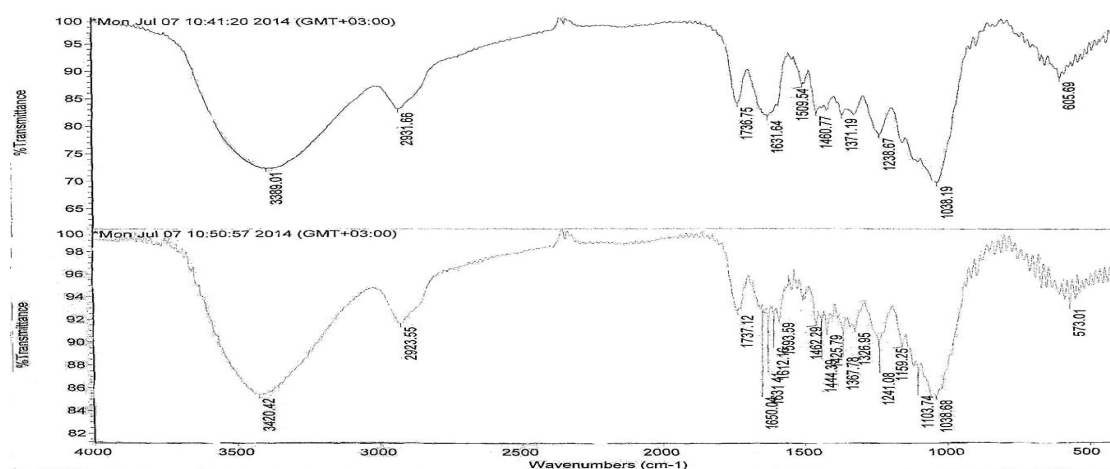


Fig. 1. FT-IR of TAB (above) and Pb (II) ions-loaded TAB (down)

ion uptake [16]. To investigate the adsorption process further, the TAB and Pb (II) ions loaded TAB were observed under the scanning electron microscope.

#### SEM studies

The SEM images of the TAB and Pb loaded TAB are shown in Fig. 2. SEM image of the powdered TAB (Fig. 2a) shows a regular symmetry with hollow tubular structures before adsorption. After Pb adsorption, the tubes appear to be prominently swollen as Pb enters the pores of the TAB (Fig. 2b). This observation indicates that Pb is adsorbed to the functional groups of the TAB structure.

#### Factors Affecting Adsorption of Pb(II) Ions onto TAB

The biosorption process of heavy metals is influenced by several factors, such as pH, adsorbent dose, contact time and adsorbate concentration. The effects of these parameters were investigated in this section.

#### Effect of pH

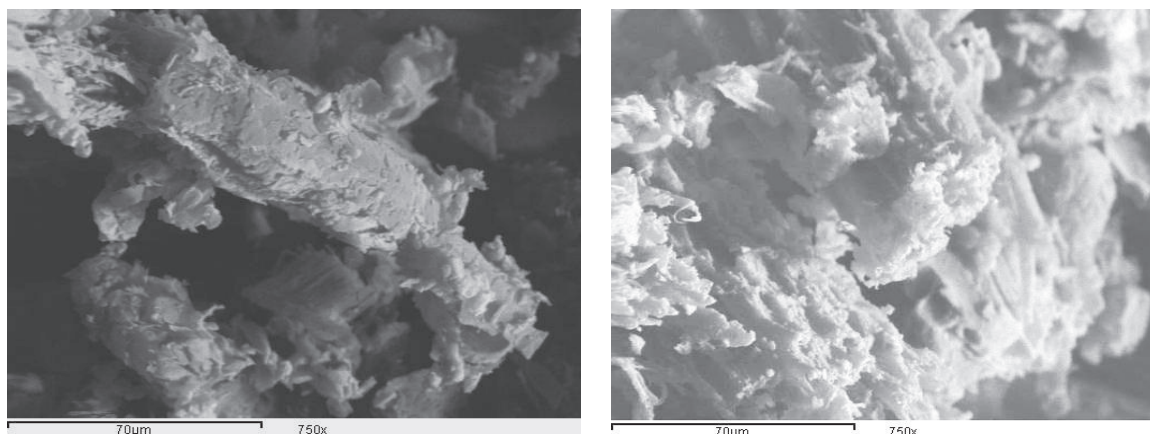
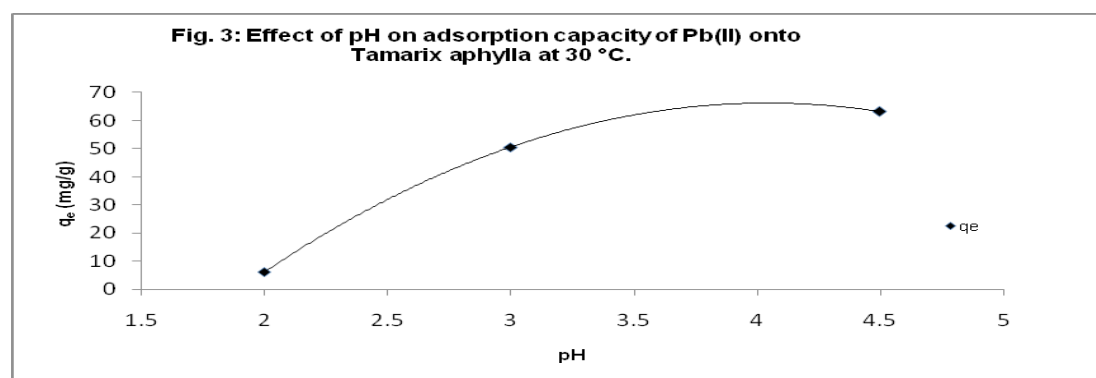


Fig. 2. SEM of TAB (above) and Pb(II) ions-loaded TAB (down).



The pH of the aqueous solution is an important controlling parameter in the adsorption process [17]. In the present work, adsorption of Pb (II) ions onto TAB adsorbent was studied over the pH range of 2- 4.5 for a constant adsorbent dose and constant concentration of adsorbate at 30 °C. As the acidity of the adsorption medium decreased, the extent of adsorption capacity,  $q_e$  decreased (Fig. 3). At high acidity, the TAB particle surface will be completely covered with  $H_3O^+$  ions and Pb (II) ions can hardly compete with them for adsorption sites. With the increase in pH, the competing effect of hydronium ion decreases and the positively charged Pb (II) ions adsorb on the free binding sites of the adsorbents. This is a common observation for all cases of adsorption of metal cations on the solid surface in media of different acidity and basicity [18]. It is also significant that the active sites on the TAB are weakly acidic in nature and with increase in pH, they are gradually deprotonated making available more and more sites for metal ion uptake [19]. At pH value more than 4.5, the adsorption studied

could not be carried out because metal ion will precipitate as lead hydroxide in this range [20].

#### *Effect of Adsorbent Concentration (Adsorbent Dose)*

The effect of adsorbent dose on both the adsorption capacity and the percentage removal of Pb (II) ions onto TAB were studied at pH 4 employing adsorbent doses within the range 0.3–5 g/land at a fixed initial metal ion concentration of 300 mg L<sup>-1</sup> as shown in Fig.4. It is clear from this figure that the percent removal of Pb (II) ions increases from 12.2 to 88.2 % by increasing the concentration of adsorbent from 0.1 to 5 g/l. The increase in percent removal of Pb (II) ions with increasing adsorbent concentration could be attributed to the greater availability of the exchangeable sites of the adsorbent. On the other hand, the adsorption capacity ( $q_e$ ), or the amount of Pb (II) ions adsorbed per unit mass of adsorbent (mg/g), decreases by increasing the concentration of adsorbent (Fig. 4). The decrease in adsorption capacity with increasing the adsorbent concentration is mainly due to overlapping of the adsorption sites as a result of overcrowding of the adsorbent particles and is also due to the competition among Pb(II) ions for the surface sites [21].

#### *Effect of Contact Time*

Figure 5 shows the effect of agitation time at two different adsorbate concentrations (324 and 542 mg L<sup>-1</sup>) on the adsorption capacity of TAB towards Pb (II) ions. It will be seen that the adsorption capacity increased with increasing

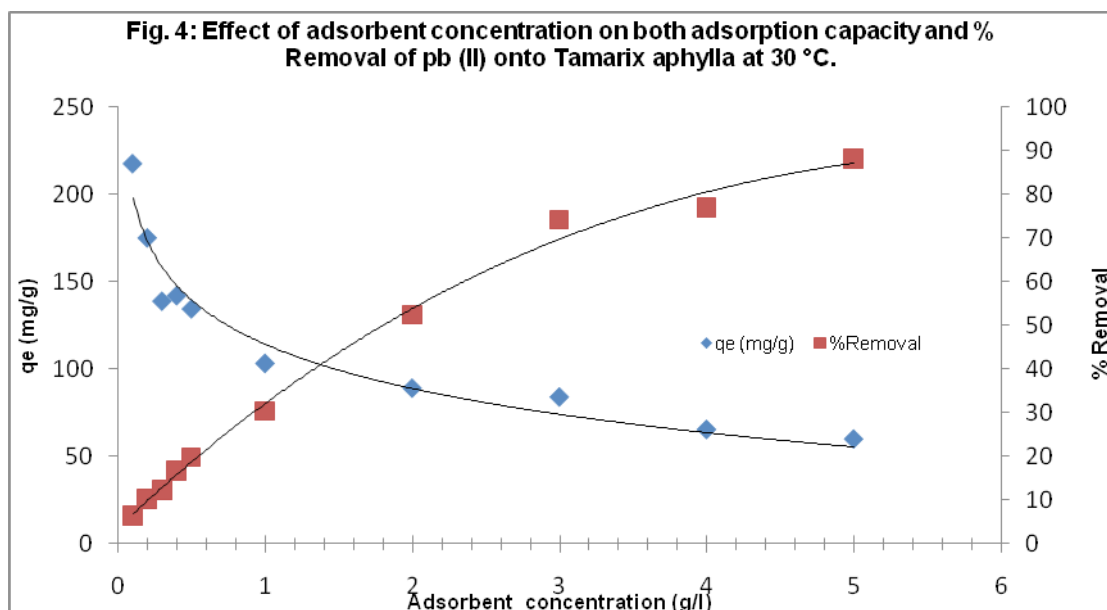
agitation time and initial concentration of the adsorbate, remaining virtually constant after equilibrium had been attained. The time necessary to achieve equilibrium increased with increasing adsorbate concentration, being 30 and 60 min for adsorbate concentrations of 324 and 542 mg L<sup>-1</sup>, respectively. This contact time, which is one of the parameters for economical wastewater treatment plant operations, is quite small.

*Kinetics of Adsorption:* In order to examine the controlling mechanism of biosorption process such as mass transfer and chemical reaction, kinetic models were used to test experimental data. Many applications, such as wastewater treatment and metal ions removal need a rapid biosorption rate and short contact time. The kinetic models (pseudo-first-order, pseudo-second-order, intraparticle diffusion and Bangham and Elovich models) were used to investigate the adsorption process of Pb(II) ions on TAB.

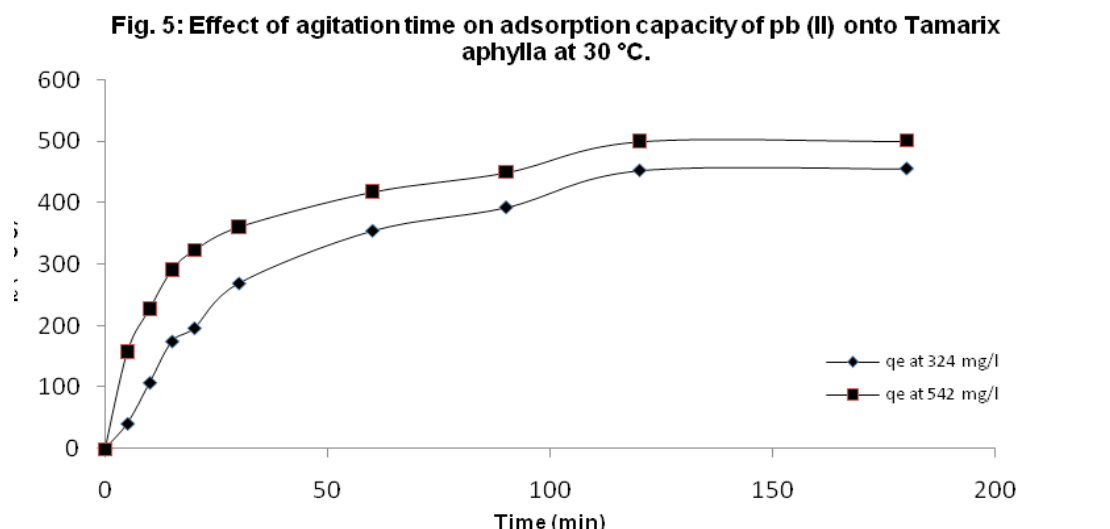
The pseudo-first-order equation [22] is:

$$\frac{dq_t}{dt} = k_1(q_e - q_t) \quad (7)$$

Where  $q_t$  is the amount of adsorbate adsorbed at time  $t$  (mg/g),  $q_e$  is the adsorption capacity at equilibrium (mg/g),  $k$  is the pseudo-first-order rate constant (min<sup>-1</sup>), and  $t$  is the contact time (min). The integration of Eq. (7) with the initial







condition,  $q_t = 0$  at  $t = 0$ , the following equation is obtained:

$$\log(q_e - q_t) = \log q_e - \frac{k_1 t}{2.303} \quad (8)$$

A first-order kinetic process is usually considered physical biosorption and the whole process is diffusion controlled.

In order to obtain the rate constants, the straight line plot of  $\log(q_e - q_t)$  against  $t$  for Pb (II) ions onto TAB have been tested. The intercept of this plot should give  $\log q_e$ . However, if the intercept does not equal to  $q_e$ , the reaction is not likely to be first order even if this plot has high correlation coefficient ( $R^2$ ) with the experimental data [23]. For the data obtained in the present study, the plots of  $\log(q_e - q_t)$  versus  $t$  as required by Eq. 8 for the adsorption of Pb (II) ions at initial concentrations of 324 mg L<sup>-1</sup> and 542 mg L<sup>-1</sup> by TAB (figure not shown) gave correlation coefficients,  $R^2$ , which had low values. This indicates that the adsorption of Pb (II) ions onto TAB is not acceptable for this model.

The pseudo-second-order model [23] is represented as:

$$\frac{dq_t}{dt} = k_2 (q_e - q_t)^2 \quad (9)$$

where  $k_2$  is the pseudo-second-order rate constant (g /mg.min). Integrating Eq. (9) with

the initial condition,  $q_t = 0$  at  $t = 0$ , the following equation is obtained:

$$\frac{t}{q_t} = \frac{1}{(k_2 \cdot q_e^2)} + \frac{t}{q_e} \quad (10)$$

where  $k_2$  is the pseudo-second-order adsorption rate constant.

Equation 10 predicts that if the system follows pseudo-second-order kinetics, the plot of  $t/q_e$  versus  $t$  should be linear. Plotting the experimental data obtained for the adsorption of Pb (II) ions at initial concentrations of 324 mg L<sup>-1</sup> and 542 mg L<sup>-1</sup> onto TAB according to the relationship given in Eq. (10) gave linear plots (Fig. 6).

The correlation coefficient values ( $R^2$ ) were 0.972 and 0.998 for the initial concentrations of 324 mg L<sup>-1</sup> and 542 mg L<sup>-1</sup>, respectively obtained from the pseudo-second-order model making them larger than those of the pseudo-first-order model (or the other applied models). The results obtained from the pseudo-second-order model were the best for describing the kinetics of Pb (II) ions onto TAB as shown in Fig. 6 and listed in Table 1. The first-order and pseudo-second-order models cannot identify the diffusion mechanism and the kinetic results were then subjected to analyze by the intra-particle diffusion model.

The intra-particle diffusion model [24] can be expressed by the following equation:

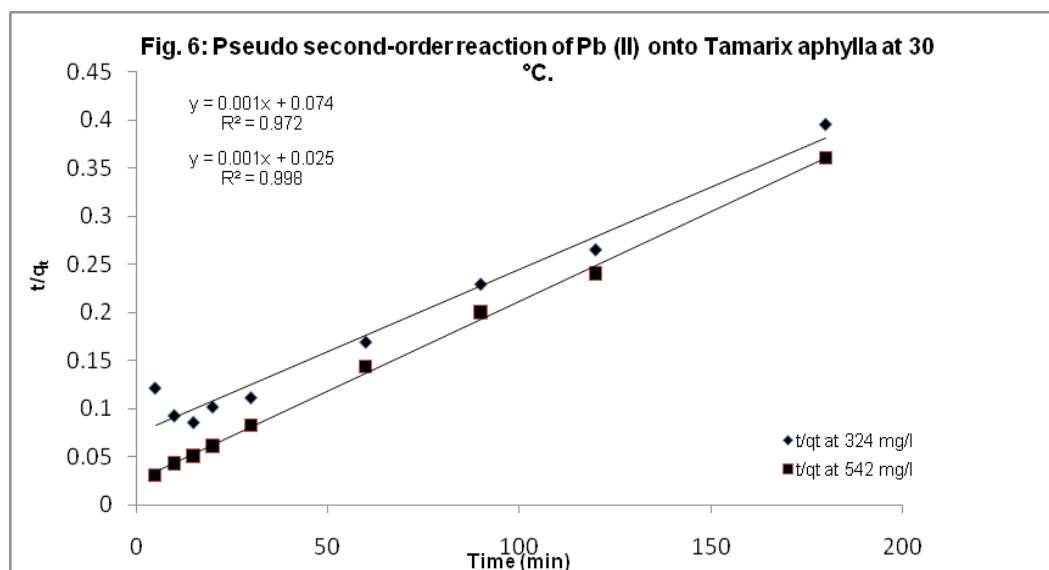


TABLE 1. Kinetic parameters for adsorption of Pb(II) onto TAM at 30 °C

Models	Parameters	Values	
		(324 mg/l)	(542 mg/l)
Pseudo-first order	$K_1$	-----	-----
	$R^2$	-----	-----
	$K_1$	3.884E-05	0.0001399
Pseudo-second order	$q_e$ ( exp)	452.03492	499.45117
	$q_e$ ( Calc.)	588.23529	526.31579
	$R^2$	0.9726	0.9981
	$K_o$	6.93063	21.05585
Bangham's Equation	$\alpha$	0.6905	0.3400
	$R^2$	0.9121	0.9414
	$K_p$	38.072	24.892
Intra-Particle Diffusion	$C$	43.957	218.08
	$R^2$	0.9569	0.9841
	$\alpha$	33.032356	113.50012
Elovich Equation	$\beta$	0.0080658	0.0102069
	$R^2$	0.9906	0.9853

$$q_t = k_p t^{\frac{1}{2}} + C \quad (11)$$

Where  $k_p$  is the intra-particle diffusion rate constant ( $\text{mg} \cdot \text{g}^{-1} \cdot \text{min}^{-1/2}$ ) and  $q_t$  is the amount of solute adsorbed per unit mass of the adsorbent. The data of solid phase metal concentration against time  $t$  at the initial concentrations of

324.3mg/l and 542.4 mg/l of Pb (II) ions were further processed for testing the rate of diffusion in the adsorption process.

The rate parameter for intra-particle diffusion,  $k_p$  for the Pb (II) ions on TAB is measured according to Eq. 11. The plots of  $q_t$  versus  $t^{1/2}$  for the Pb (II) ions concentrations of 324mg L<sup>-1</sup> and 542 mg L<sup>-1</sup> of is shown in Fig. 7. Different

previous studies indicated that the plots of  $q_t$  versus  $t^{1/2}$  were multi-linear two or more steps govern the adsorption process [25-27]. The plot is curved at the initial portion followed by linear portion and plateau. The initial curved portion is attributed to the bulk diffusion and the linear portion is due to the intra-particle diffusion, while the plateau is corresponding to equilibrium. The deviation of straight lines from the origin (Fig. 8) may be due to the difference between the rate of mass transfer in the initial and final stages of adsorption. Further, such deviation of straight line from the origin indicates that the pore diffusion is not the rate-controlling step [28]. The values of  $k_p$  ( $\text{mg} \cdot \text{g}^{-1} \cdot \text{min}^{-1}$ ) obtained from the slope of the straight line (Fig.8) are listed in Table 1. The values of  $R^2$  for the initial concentrations of  $324 \text{ mg L}^{-1}$  and  $542 \text{ mg L}^{-1}$  are listed also in Table 1. The value of intercept, C (Table 1) give an idea about the boundary layer thickness, i.e., the larger the intercept, is the greater the boundary layer effect [29]. This value indicates that the adsorption of Pb(II) ions onto TAB is acceptable for intra-particle diffusion mechanism.

Bangham's equation [30] was employed for applicability of adsorption of Pb (II) ions onto ATB, whether the adsorption process is diffusion controlled as follows:

$$\log \log \left( \frac{C_0}{C_0 - q_t} \right) = \log \left( \frac{k_0 m}{2.303V} \right) + \alpha \log t \quad (12)$$

where  $C_0$  is the initial concentration of adsorbate ( $\text{mg L}^{-1}$ ),  $V$  is the volume of metal ion (ml),  $m$  is weight of adsorbent used per liter of solution ( $\text{g L}^{-1}$ ),  $q_t$  is the amount of adsorbate retained at time  $t$  ( $\text{mg/g}$ ,  $t > 0$ ) and  $k_0$  and  $\alpha$  are constants.

If the experimental data are compatible with Bangham's equation, the biosorption kinetics is limited to the pore diffusion.

The double logarithmic plot, according to Eq. 12 yields satisfactory linear curves for the adsorption of Pb (II) ions by TAB (Fig. 9). The correlation coefficient values,  $R^2$  values were 0.9121 and 0.9414 for the initial concentrations of 324 and  $542 \text{ mg L}^{-1}$ , respectively. This indicates that the adsorption of Pb (II) ions onto TAB is acceptable for this model.

The Elovich model equation [31] is generally expressed as:

Where  $\alpha$  is the initial adsorption rate ( $\text{mg/g} \cdot \text{min}$ ) and  $\beta$  is the adsorption constant ( $\text{g/mg}$ ) during the experiment. To simplify the Elovich equation  $\alpha\beta \gg 1$  and  $\alpha\beta q_t \gg 1$  at  $t > 0$  the equation becomes:

$$\frac{dq_t}{dt} = \alpha \exp(-\beta q_t) \quad (13)$$

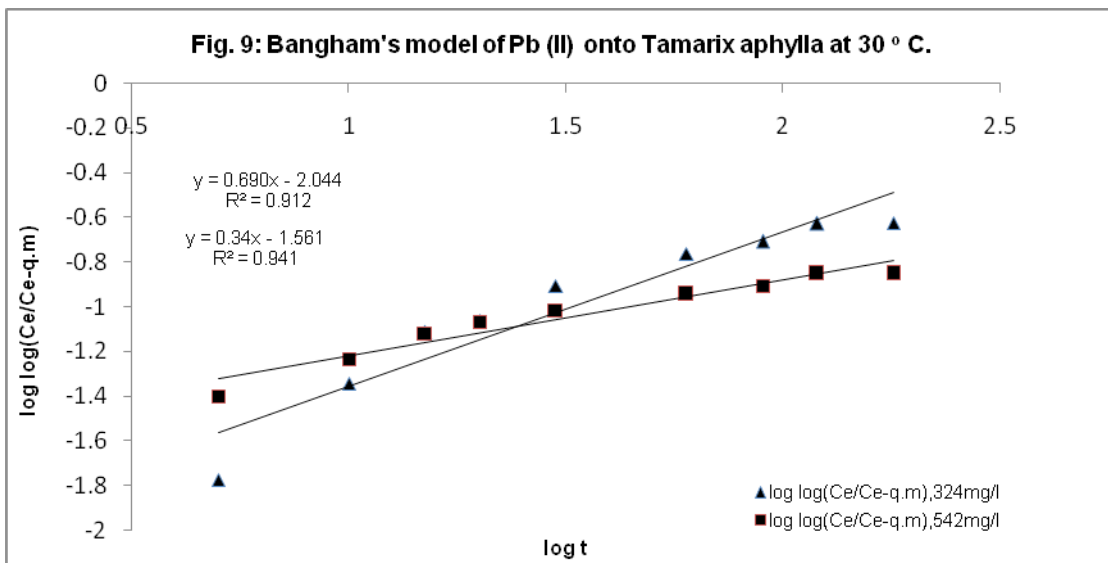
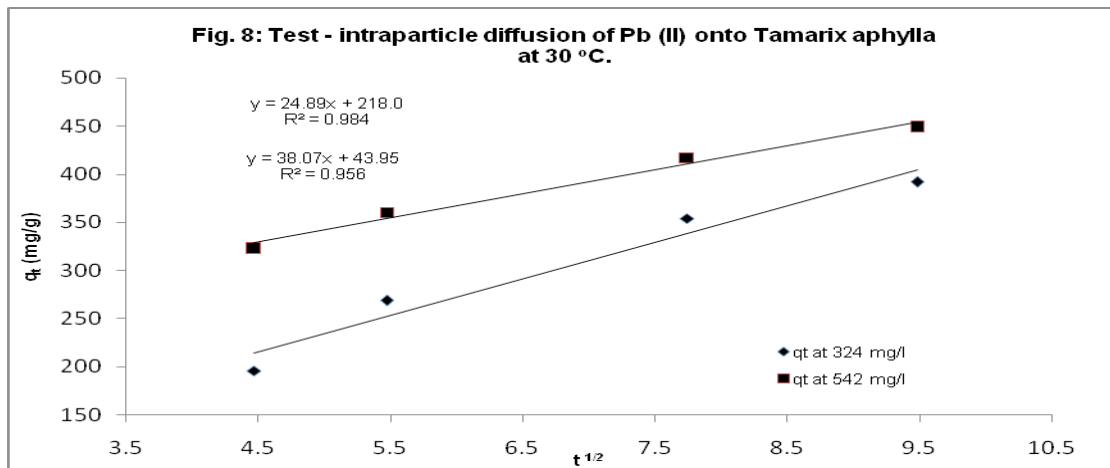
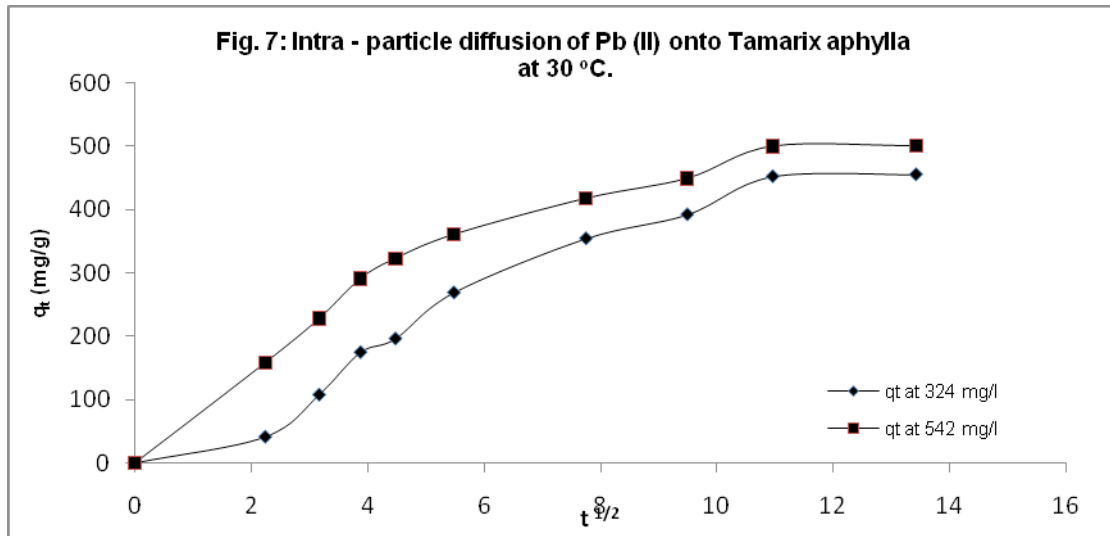
$$q_t = \frac{1}{\beta} \ln(\alpha\beta) + \frac{1}{\beta} \ln(t) \quad (14)$$

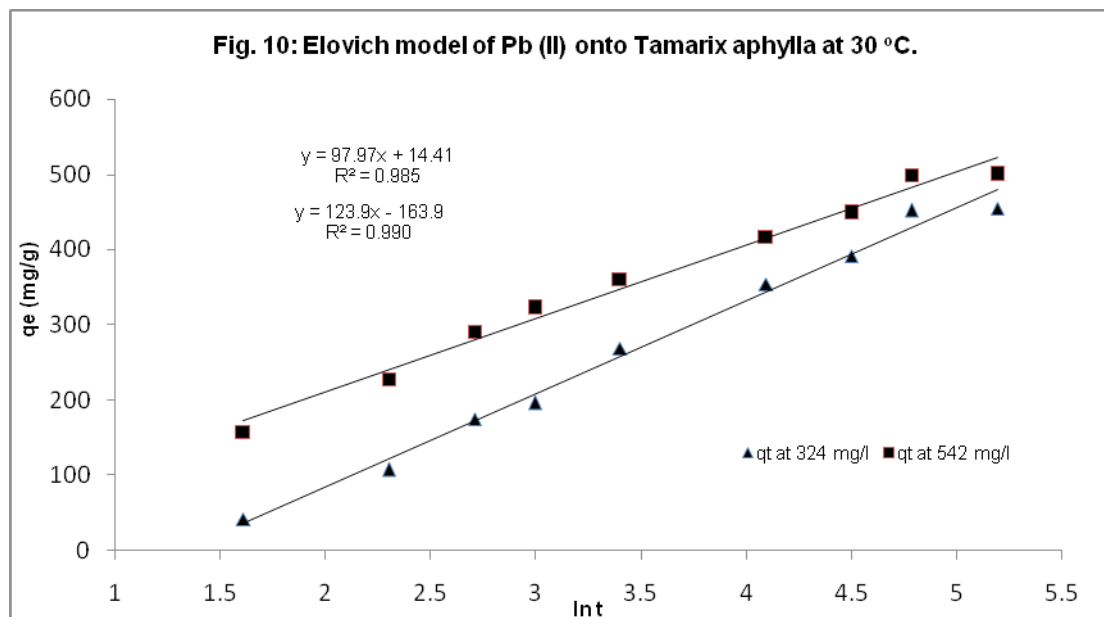
If Pb(II) ions adsorption onto TAB fits the Elovich model, a plot of  $q_t$  versus  $\ln t$  should yield a linear relationship with a slope of  $1/\beta$  and an intercept of  $1/\beta \ln(\alpha\beta)$ . Figure 10 shows a plot of linearization form of Elovich model at the Pb (II) ions concentrations of  $324 \text{ mg L}^{-1}$  and  $542 \text{ mg L}^{-1}$ . The slope and intercept of the plots of  $q_t$  versus  $\ln(t)$  was used to determine the constant  $\beta$  and the initial adsorption rate. The correlation coefficient values,  $R^2$  for the concentrations of  $324 \text{ mg L}^{-1}$  and  $542 \text{ mg L}^{-1}$  are listed in Table 1. The correlation coefficient values for the Elovich kinetic model obtained at the Pb (II) ions concentration of  $324 \text{ mg L}^{-1}$  and  $542 \text{ mg L}^{-1}$  were greater than 0.98. This indicates that the adsorption of Pb (II) ions onto TAB is acceptable for this model.

#### Mechanism of adsorption

The adsorbent material, TAB can be considered to be microporous biopolymer; therefore, pores are large enough to let Pb (II) ions through. The mechanism of Pb (II) ions adsorption on porous adsorbents may involve four steps (i) diffusion of ions to the external surface of bio-adsorbent; (ii) diffusion of ions into the pores of bio-adsorbent; (iii) adsorption of the lead ions on the internal surface of bio-adsorbent. (iv) Interaction between the anionic groups in bioadsorbent ( $-\text{COOH}$  groups) and the cations in solution. The anionic nature of TAB plays the key role in the adsorption process. The negatively surfaces of the biomass attract the oppositely charged lead cations and brings about stronger complexation.







### Effect of Adsorbate Concentration

#### Adsorption Isotherm

Adsorption isotherm, describe how adsorbates interact with adsorbents, is critical in optimizing the use of adsorbents. The amount of adsorbate per unit mass of adsorbent at equilibrium,  $q_e$  (mg/g) and the adsorbate equilibrium concentration,  $C_e$  (mg L<sup>-1</sup>) allows plotting the adsorption isotherm,  $q_e$  versus  $C_e$  (Fig. 11) at 30°C and mathematical models can be used to describe and characterize the adsorption process. The most common isotherms for describing solid–liquid sorption systems are Langmuir, Freundlich, Temkin, Dubinin and Halsey (two parameter isotherms), Redlich–Peterson, Langmuir–Freundlich, Radk-Prausintz, Toth, Sips, Khan and Hill (three parameter isotherms), Weber-van Vliet, Fritz–Schlunder and Baudu (four parameter models) and Fritz–Schlunder (five parameter model). Therefore, in order to investigate the adsorption capacity of Pb (II) ions onto TAB, the experimental data were fitted to these equilibrium models.

#### Two Parameter Isotherms

Langmuir equation [32] was applied for adsorption equilibrium of Pb (II) ions by TAB. The assumption of this model is based on the maximum adsorption corresponds to a saturated monolayer of adsorbate molecules on the adsorbent surface and the energy of adsorption is constant as well as there is no transmigration of adsorbate in the plane surface. The nonlinear form of Langmuir isotherm is given by the following equation:

*Egypt. J. Chem.* **61**, No. 1 (2018)

$$q_e = \frac{k_L \cdot C_e}{1 + a_L \cdot C_e} \quad (15)$$

where  $a_L$  is the Langmuir isotherm constant (L/mg),  $K_L$  is the Langmuir constant (L/g) and  $a_L / K_L$  represents the maximum adsorption capacity,  $Q_{\max}$ .

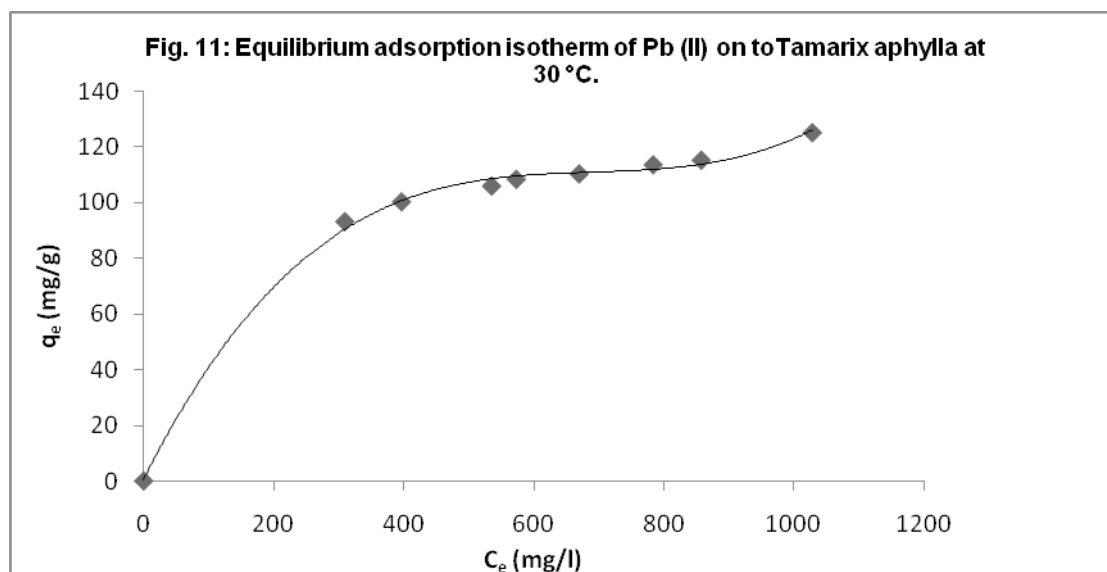
The Freundlich model [33] is a special case applied to non-ideal adsorption on heterogeneous surfaces and also to multilayer adsorption, suggesting that binding sites are not equivalent and/or independent. This model is described by Eq. 16 as follows:

$$q_e = K_F \cdot C_e^{1/n} \quad (16)$$

Where  $q_e$  is the equilibrium concentration of Pb(II) ions on TAB adsorbent (mg/g),  $C_e$  the equilibrium concentration of Pb(II) ions (mg L<sup>-1</sup>) and  $K_F$  (mg/g) and  $n$  are the Freundlich constants characteristic of the system, indicators of adsorption capacity and adsorption intensity, respectively.

The Temkin isotherm [34] has been used in the following form:

$$q_e = \frac{RT}{b_T} \ln(A_T C_e) \quad (17)$$



Where  $R$  is the universal gas constant ( $8.31441 \text{ J}^{-1} \cdot \text{mol}^{-1} \cdot \text{K}^{-1}$ ),  $T$  is the absolute temperature (K),  $A_T$  is the Temkin isotherm constant (g/mg) and  $b_T$  is Temkin constant.

Dubinin-Radushkevich Isotherm [35] is generally expressed as follows:

$$q_e = q_D \cdot \exp(-B_D [RT \ln(1 + \frac{1}{C_e})]^2) \quad (18)$$

Dubinin-Radushkevich have reported that the characteristic sorption curve is related to the porous structure of the sorbent. The constant,  $B_D$  is related to the mean free energy of sorption per mole of the adsorbate as it is transferred to the surface of the solid from infinite distance in the solution and this energy can be computed using the following relationship by Hasany and Chaudhary [36] as:

$$E = \frac{1}{\sqrt{2B_D}} \quad (19)$$

The Halsey [37] adsorption isotherm can be given as:

$$q_e = \exp\left(\frac{\ln k_H - \ln C_e}{n}\right) \quad (20)$$

Where  $k_H$  and  $n$  are the Halsey isotherm constant and exponent, respectively. This equation is suitable for multilayer adsorption and the fitting

of the experimental data to this equation attest to the heteroporous nature of the adsorbent.

#### Three Parameter Isotherms

Redlich-Peterson model is used as a compromise between Langmuir and Freundlich models, which can be written as [38]:

$$q_e = \frac{AC_e}{1 + B.C_e^g} \quad (21)$$

Where  $q_e$  is the amount of mercury adsorbed (mg/g) at equilibrium,  $C_e$  ( $\text{mg L}^{-1}$ ) is the concentration of adsorbate at equilibrium,  $A$  ( $\text{L/g}$ ) and  $B$  are the Redlich constants and  $g$  is exponent, which lies between 1 and 0.

Toth isotherm model [39] is useful in describing heterogeneous adsorption systems, which satisfying both low and high-end boundary of the concentration [40]. It can be represented by the following equation:

$$q_e = \frac{k_t C_e}{(a_t + C_e)^{1/t}} \quad (22)$$

where  $K_T$ ,  $a_t$  and  $t$  are the Toth isotherm constants.

Sips isotherm [41] is a combined form of Langmuir and Freundlich expressions. Sips model can be represented by the following equation:

where  $K_s$  is the Sips model isotherm constant (L/g);  $a_s$  the Sips model constant (L/mg) and  $B_s$  the Sips model exponent

$$q_e = \frac{k_s \cdot C_e^{B_s}}{1 + a_s \cdot C_e^{B_s}} \quad (23)$$

$a_k$  are devoted to the model constant and model exponent. Khan isotherm model can be represented by:

where  $b_k$  is the Khan model constant,  $a_k$  the Khan model exponent and  $q_k$  is the maximum uptake (mg/g).

It represents  $q_e = \frac{q_k \cdot b_k \cdot C_e}{(1 + b_k \cdot C_e)^{a_k}} \quad (24)$  can be

$$q_e = \frac{\alpha_R \cdot r_R \cdot C_e^{\beta R}}{\alpha_R + r_R \cdot C_e^{\beta R - 1}} \quad (25)$$

where,  $\alpha_R$ ,  $r_R$  are Radke-Prausnitz model constants,  $\beta_R$  is Radke-Prausnitz model exponent.

The Langmuir-Freundlich equation is given by [44]:

$$q_e = \frac{q_{mLF} \cdot (k_{LF} \cdot C_e)^{mLF}}{1 + (k_{LF} \cdot C_e)^{mLF}} \quad (26)$$

where,  $q_{mLF}$  is the Langmuir-Freundlich maximum adsorption capacity (mg/g),  $k_{LF}$  is the equilibrium constant for a heterogeneous solid and  $M_{LF}$  is the heterogeneity parameter lies between 0 and 1.

Hill model [45], assumes that adsorption process as a cooperative phenomenon, with the ligand binding ability at one site on the macromolecule, may influence the different binding sites on the same macromolecule. It is described by the following equation:

$$q_e = \frac{q_{sH} \cdot C_e^{n_H}}{k_D + C_e^{n_H}} \quad (27)$$

Where  $k_D$ ,  $n_H$  and  $s_H$  are constants for Hill model.

#### Four parameter isotherms

Baudo isotherm [46] can be written in the following form:

$$q_e = \frac{q_{mo} \cdot b_o \cdot C_e^{(1+x+y)}}{1 + b_o} \quad (28)$$

Where  $q_e$  is the adsorbed amount at equilibrium (mg/g),  $C_e$  is the equilibrium concentration of adsorbate (mg L<sup>-1</sup>),  $q_{mo}$  is the Baudo maximum adsorption capacity (mg/g),  $b_o$  is the equilibrium constant, and  $x$  and  $y$  are the Baudo parameters.

#### Fritz-Schlunder isotherm

Another four-parameter equation of Langmuir-Freundlich type was developed empirically by Fritz and Schlunder [47]. It is expressed by the equation:

$$q_e = \frac{A \cdot C_e^\alpha}{1 + B \cdot C_e^\beta} \quad \text{with } \alpha, \beta \leq 1 \quad (29)$$

Where  $q_e$  is the adsorbed amount at equilibrium (mg/g),  $C_e$  is the equilibrium concentration of adsorbate (mg L<sup>-1</sup>),  $A$  and  $B$  are the Fritz-Schlunder parameters, and  $\alpha$  and  $\beta$  are the Fritz-Schlunder equation exponents. At high liquid-phase concentrations of the adsorbate, the last equation reduces to the Freundlich equation.

#### Five parameter isotherm

##### Fritz-Schlunder isotherm

Fritz and Schlunder [47] have proposed a five-parameter empirical expression which can represent a broad field of equilibrium data as:

$$q_e = \frac{q_{mFS} \cdot k_1 \cdot C_e^{m_1}}{1 + k_2 \cdot C_e^{m_2}} \quad (30)$$

Where  $q_e$  is the adsorbed amount at equilibrium (mg/g),  $C_e$  is the equilibrium concentration of adsorbate (mg L<sup>-1</sup>),  $q_{mFS}$  is the Fritz-Schlunder maximum adsorption capacity (mg/g) and  $K_1$ ,  $k_2$ ,  $m_1$  and  $m_2$  are Fritz-Schlunder parameters.

The comparison of the adsorption capacity of various adsorbents reported in the literature for the removal of Pb (II) ions is shown in Table 2 [48-54]. It was found from this table that the TAB had a good affinity for removal of lead than other adsorbents.

The comparison between the experimental

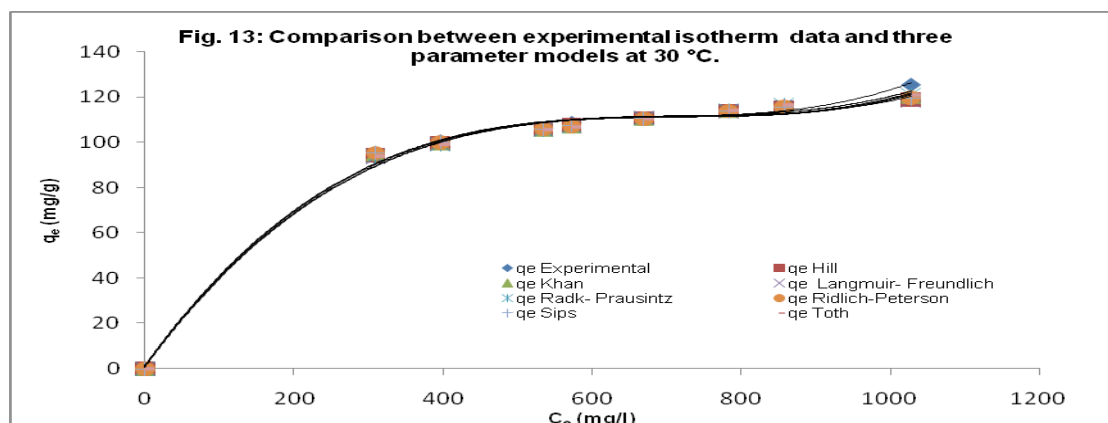
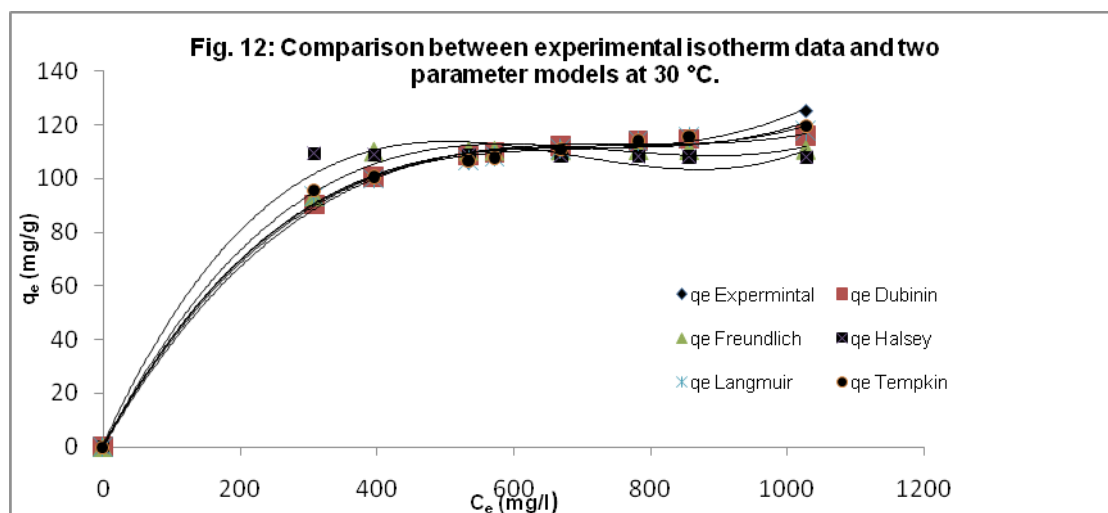
data and the data obtained from two, three, four and five parameter models (Fig. 12-15) as well as the constants and error analysis of two, three, four and five parameter models are given in Tables 3 -6.

#### *Error Analysis and Non-linear Regression Method*

In nonlinear regression method, the validity of widely used isotherm models to the experimental data was examined by trial- and-error using the

**TABLE 2. Comparison of adsorption capacity of Pb(II) ions with different adsorbents**

Adsorbents	Adsorption capacity (mg/g)	References
Cotton waste	44.67	1
Bog iron ores	97.0	2
Oedogonium species	145	3
Rice husk	12.61	4
Activated charcoals (bamboo)	53.76	5
Almond	8.08	6
Banana peels	72.79	7
Tamarixaphylla	125	This study



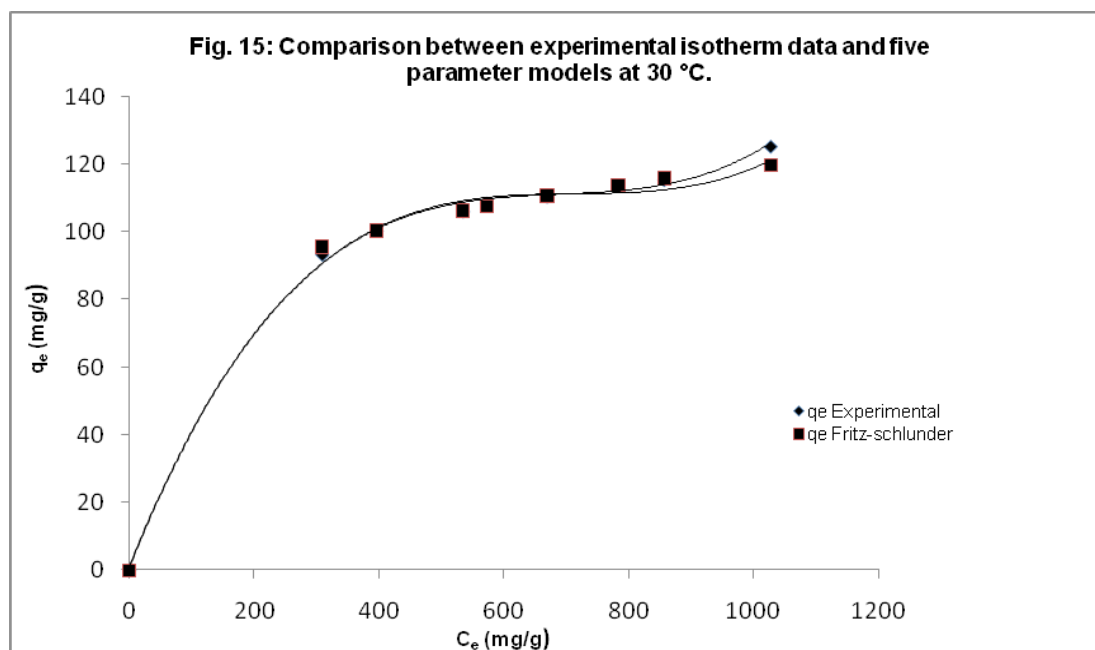
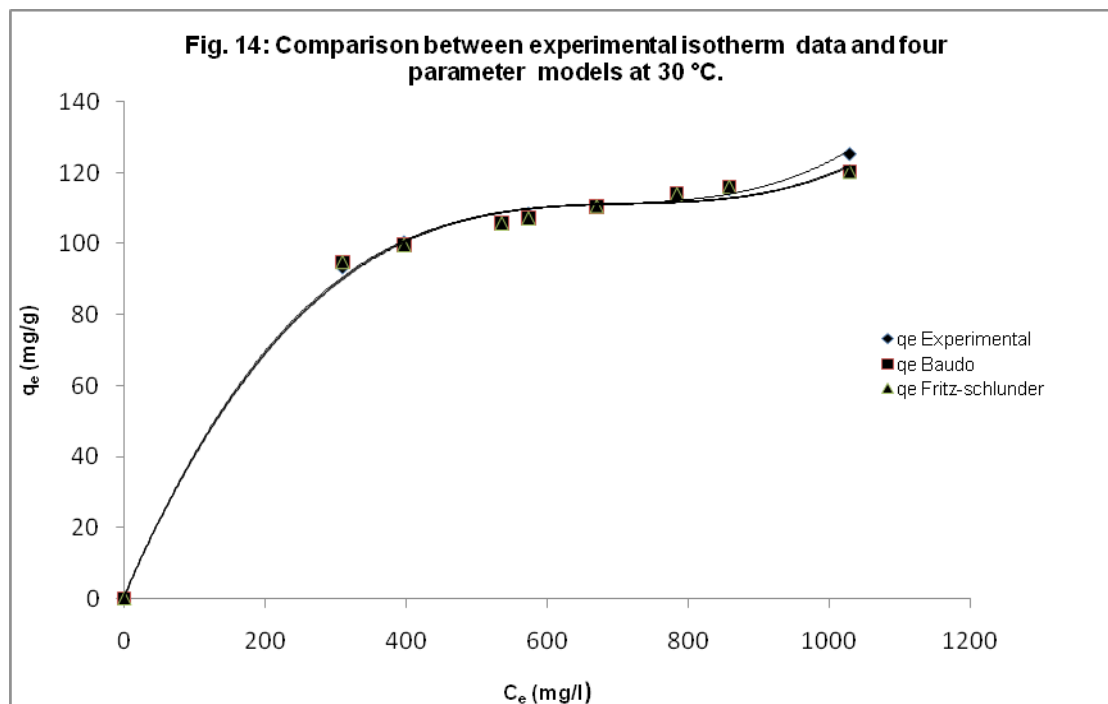


solver add-in with Microsoft Excel. The  $R^2$  value is used to minimize the error distribution between the experimental equilibrium data and the predicted isotherms.

The fitting presentation of two, three, four

and five parameter models are presented in Fig. (12-15) as well as the constants and error analysis of two and three parameter models are given in Tables 4-7.

Among two, three, four and five parameter



**TABLE 3. Constants and error analysis of two parameter models for adsorption of Pb (II) onto TAM at 30 °C**

Isotherm Model	Parameter	Value	Error Analysis	Value
Langmuir	$a_L$	1.000951195	ARE	0.075758395
	$k_L$	0.00744791	APE %	0.9469799939
	$R^2$	0.9966	EABS	9.164793121
	$1/n$	0.227575233	MPSD	0.927498356
Freundlich	$K_F$	25.3150899	ARE	0.329443102
	$R^2$	0.996	APE %	4.118038773
	$A_T$	118.5116757	EABS	37.33343094
	$b_T$	42.035402173	MPSD	0.9471997715
Tempkin	$R^2$	0.9989	ARE	0.153246268
	$q_D$	118.5116757	APE %	0.153246268
	$B_D$	42.035402173	EABS	17.53049319
	$R^2$	0.9989	MPSD	0.935331558
Radushkevich Dubinin	$R^2$	0.9989	ARE	0.153246268
	$K_H$	27.34163349	APE %	1.915578349
	$n$	-4.658446352	EABS	17.53049319
	$R^2$	0.9949	MPSD	0.935331558
Halsey	$R^2$	0.9989	ARE	0.09759607
	$R^2$	0.9989	APE %	1.219950869
	$R^2$	0.9989	EABS	11.02817686
	$R^2$	0.9949	MPSD	0.92292599

**TABLE 4. Constants and error analysis of three parameter models for adsorption of Pb(II) onto TAM at 30 °C**

Isotherm Model	Parameter	Value	Error Analysis	Value
Redlich-Peterson	A	18.72786112	ARE	0.09377391
	B	0.538773491	APE %	1.172173873
	g	0.820870841	EABS	10.56033499
	$R^2$	0.9966	MPSD	0.927892413
Toth	$k_t$	34.03614	ARE	0.097299121
	$a_t$	0.099071892	APE %	1.216239014
	$1/t$	0.818816538	EABS	10.86179667
	$R^2$	0.996	MPSD	0.929013861
Sips	$K_s$	28.92339167	ARE	0.093193116
	$a_s$	0.078628279	APE %	1.164913948
	B	0.261187618	EABS	10.51013395
	$R^2$	0.9943	MPSD	0.92835949
Khan	$q_k$	17.77438307	ARE	0.097229509
	$a_k$	0.788696068	APE %	1.215368861
	$b_k$	8.51802902	EABS	10.97983007
	$R^2$	0.9943	MPSD	0.924635814
Hill	$q_{SH}$	164.799183	ARE	0.087695156
	$K_D$	15.65047066	APE %	1.096189445
	$n_H$	0.534170146	EABS	10.09566861
	$R^2$	0.9951	MPSD	0.928591569
Langmuir- Freundlich	$q_{mLF}$	143.3484032	ARE	0.082409362
	$K_{LF}$	0.007796297	APE %	1.030117027
	$m_{LF}$	0.753518481	EABS	9.675424086
	$R^2$	0.9957	MPSD	0.928878314
Radke-Prausnitz	$_R$	154.856542	ARE	0.094487849
	$rR$	33.16282288	APE %	1.181098115
	$_R$	0.185162467	EABS	10.60827109
	$R^2$	0.9942	MPSD	0.928124744

TABLE 5. Constants and error analysis of four parameter models for adsorption of Pb (II) onto TAMat 30 °C

Isotherm Model	Parameter	Value	Error Analysis	Value
Baudo	Qm	34.10876755	ARE	0.095916745
	b0	7.977238838	APE%	1.198959317
			EABS	7.977238838
			MPSD	0.927831759
x	-2.329844291			
	y	1.528671215		
	R2	0.9945		
Fritz-Schlunder	A	5.091624734	ARE	0.096402932
	$\alpha$	1.296219342	APE%	1.205036653
			EABS	10.92977435
			MPSD	0.926928828
B	0.176106953			
	$\beta$	1.062271408		
	R <sup>2</sup>	0.995		

models, the highest R<sup>2</sup> value and lowest ARE, APE %, EABS, and MPSD indicated that Langmuir (two parameter isotherm) is the better fit than the rest of isotherm models.

### Conclusions

TAB has been utilized as adsorbent material for the removal of Pb(II) ions from contaminated water. The ability of TAB to adsorb Pb(II) ions was investigated by using batch adsorption procedure. The data of the adsorption isotherm was tested by two, three, four and five parameter models by using non-linear regression technique. The best fitting model was first evaluated using four different error functions. The examination of all these error estimation methods showed that the Langmuir model provides the best fit for experimental data than other isotherms. The kinetics of adsorption of Pb (II) ions have been discussed using five kinetic models, i.e., the pseudo-first-order, the pseudo-second-order, Elovich, intraparticle diffusion and Bangham models. The adsorption of Pb(II) ions onto TAB could be well described by the pseudo-second-order kinetic model.

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نبات التاماريكس أفيلا كمادة ادمصاص فعالة  
لإزالة أيونات الرصاص من المحاليل المائية حركية  
الادمصاص ومدى موافقة نتائج ادمصاص على  
نماذج الإيزوثرم المختلفة

مجدي دياب مدبولي<sup>1</sup> و علاء الأنور<sup>2</sup>

<sup>1</sup> المركز القومي للبحوث الاجتماعية والجنائية، القاهرة، مصر  
<sup>2</sup> مصلحة الطب الشرعي، وزارة العدل، معمل أسبيوط

في هذه الدراسة تم استخدام التاماريكس أفيلا كمادة مدمصة  
رخيصة الثمن لإزالة أيونات الرصاص من المحاليل المائية.



وقد تميزت الدراسة باستخدام طيف الأشعة تحت الحمراء وميكروسكوب المسح الإلكتروني لتأكيد عملية الادمصاص. وقد وضحت النتائج قدرة النبات على ادمصاص أيونات الرصاص بطريقة الادمصاص الساكنة. وتمت دراسة العوامل المختلفة التي تؤثر على عملية الادمصاص ومنها تأثير الرقم الهيدروجيني للمحلول، تركيز المادة الماصة، تركيز المادة المدمصة والوقت. وتم في هذه الدراسة مطابقة النتائج بخمسة أنواع من نماذج الأيثرم المختلفة عند درجة حرارة 30 درجة مئوية باستخدام معامل الارتباط. وكذلك تضمنت الدراسة الحركية الكيميائية لعملية الادمصاص باستخدام نماذج مختلفة من تفاعل الرتبة الأولى الكاذبة والرتبة الثانية

الكاذبة، الوفيتش، وتغلغل الجسيمات في المسافات البينية ونموذج بانجام على البيانات التجريبية للتنبؤ بميكانيكية الادمصاص. وقد بينت النتائج الحركية أن تفاعل الادمصاص يتوافق مع الرتبة الثانية الكاذبة أكثر من النماذج الأخرى. كما أظهرت النتائج أيضاً أن نموذج لانجمير هو أقرب نماذج الأيزوثيرم المستخدمة مع النتائج التجريبية المتحصل عليها مما يؤكد أن النبات يمكن استخدامه كمادة فعالة ورخيصة الثمن لإزالة أيونات الرصاص من المحاليل المائية.